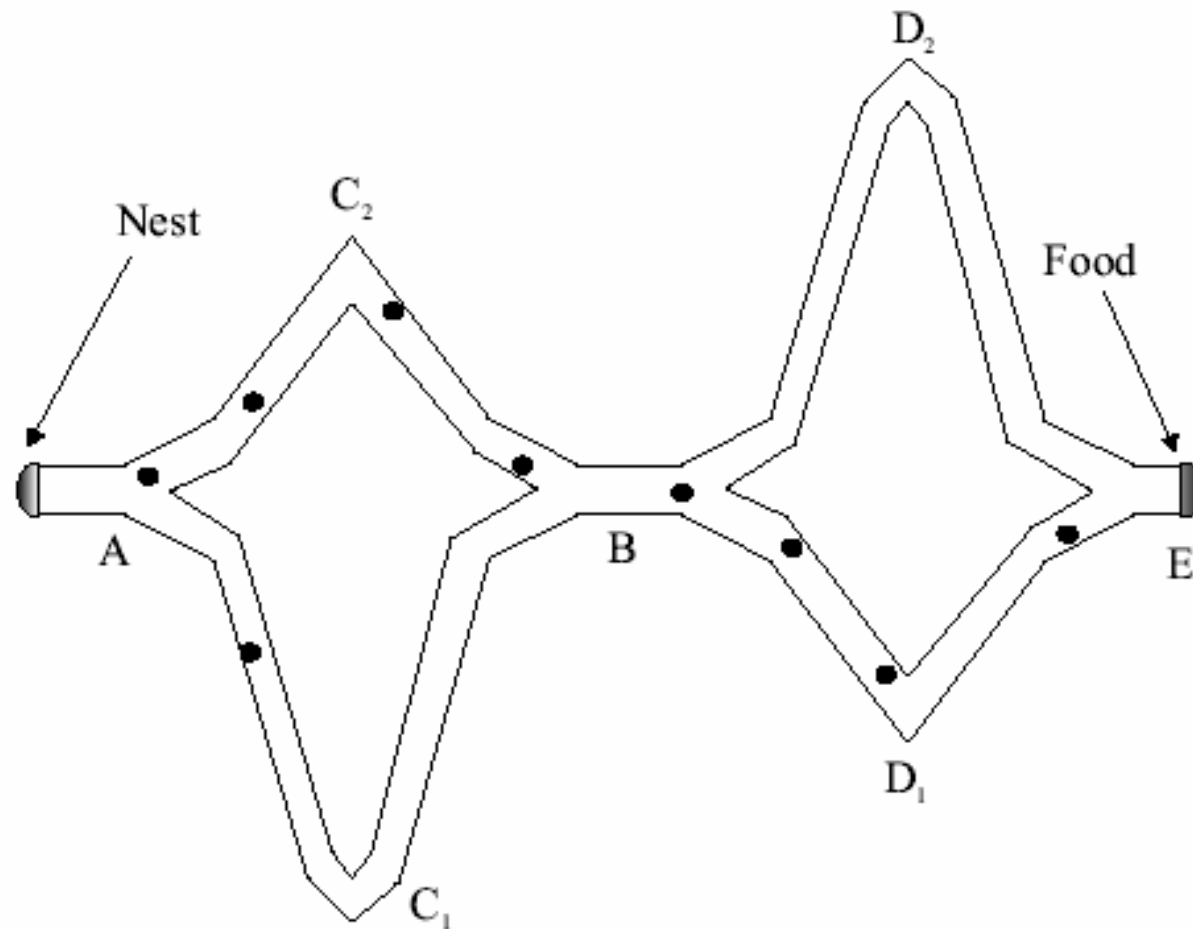
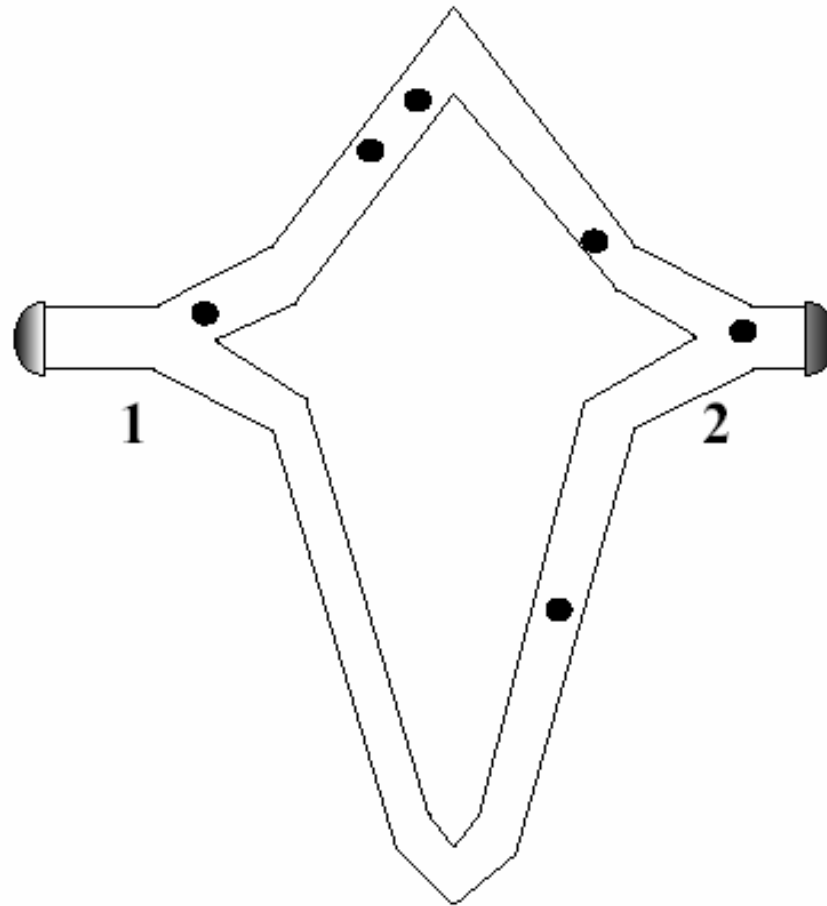
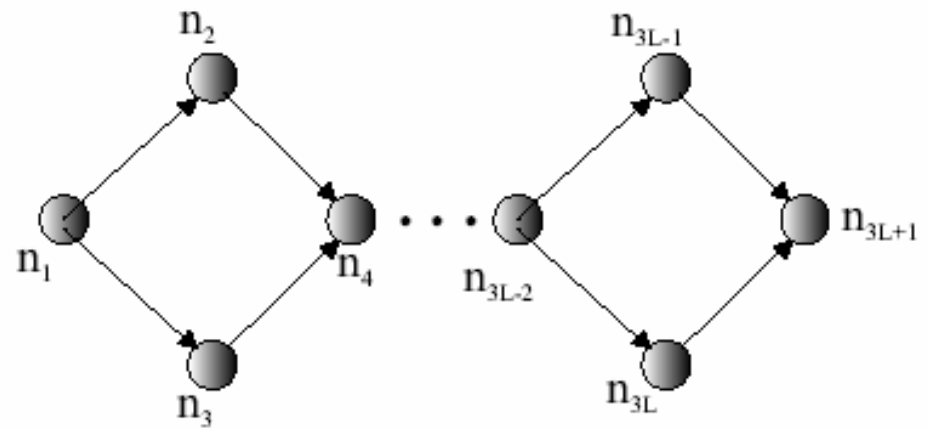
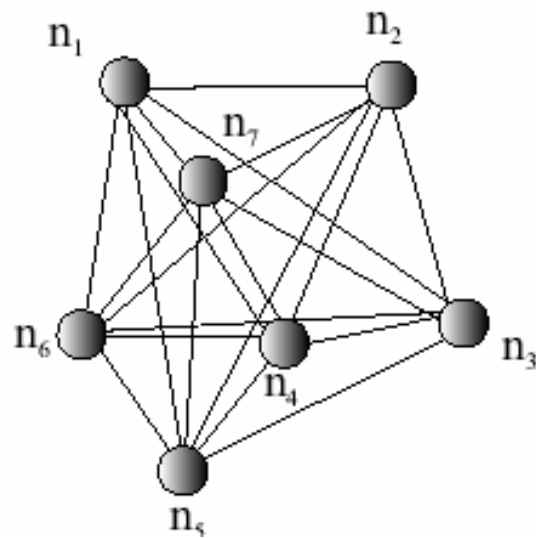








Applications of PSO

- ***Biomedical applications*** (e.g. gene regulatory network inference, protein structure prediction)
- **Communication networks** (routing etc.)
- **Clustering and classification**
- **Combinatorial optimization** (TSP etc.)
- **Control** (traffic flow, combustion, plane landing etc.)
- **Engine optimization**
- **Games** (agents)
- **Finance** (investment decisions, portfolio selection etc.)
- ***Neural network optimization***

Applications of PSO (cont'd)

- **Robotics** (motion planning, vision, walking etc.)
 - **Scheduling** (timetables, assembly, machine utilization etc.)
 - **Signal processing**
- etc. etc.

General reference: <http://www.swarmintelligence.org/>

Applications of ACO

- **Combinatorial optimization** (TSP etc.)
- **Vehicle routing**
- **Job-shop scheduling**
- ***Single-machine scheduling***
- ***Robotics***

etc. etc.

General reference: <http://iridia.ulb.ac.be/~mdorigo/ACO/ACO.html>

Single-machine (weighted) total tardiness problem (SMWTTP)

- Aim: Schedule the execution of n jobs on a single machine.
- Tardiness of job j :

$$T_j = \max(0, c_j - d_j),$$

- Minimize:

$$T_{\text{tot},w} = \sum_{j=1}^n w_j T_j.$$

- Ants build a sequence of jobs, such that each job is executed exactly once.

$$p(e_{ij}|S) = \frac{\tau_{ij}^{\alpha} \eta_{ij}^{\beta}}{\sum_{e_{kj} \notin L_T(S)} \tau_{kj}^{\alpha} \eta_{kj}^{\beta}},$$

- Heuristics used:

- Shortest processing time:

$$\eta_{ij} = \frac{1}{t_j},$$

- Earliest due date:

$$\eta_{ij} = \frac{1}{d_j},$$

- Modified due date:

$$\eta_{ij} = \frac{1}{\max(T^{[s]} + t_j, d_j)},$$

Local search:

- Interchange:

$(1, 6, 4, 7, 3, 5, 2)$

$(1, 3, 4, 7, 6, 5, 2).$

- Insertion:

$(1, 6, 4, 7, 3, 5, 2),$

$(1, 4, 7, 3, 6, 5, 2).$

Generating problem instances:

- Processing times chosen in $[1,n]$
- Due dates: integers in:

$$D = \left[\sum_{j=1}^n t_j \left(1 - c_1 - \frac{c_2}{2} \right), \sum_{j=1}^n t_j \left(1 - c_1 + \frac{c_2}{2} \right) \right],$$

- c_1 = tardiness factor, c_2 = relative range of due dates.

Results

- Optimal solution found for 124 out of 125 cases ($n=5$), 125 of 125 ($n=100$) for SMTTP
- Similar results for SMTWTP

Robot cooperation

- General reference: <http://citeseer.ist.psu.edu/kube92collective.html>

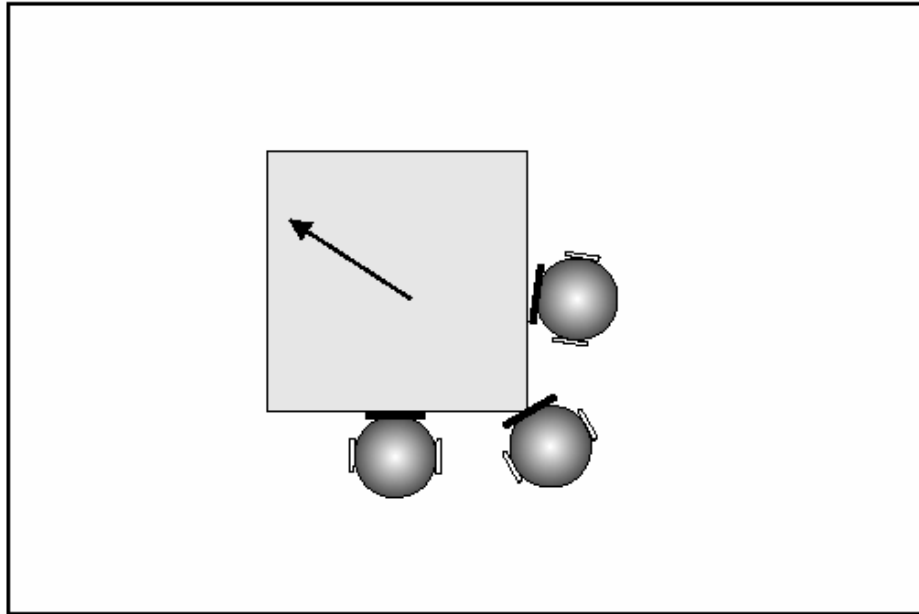


Figure 4.4: Schematic illustration of a box-pushing task, in which three wheeled robots are attempting to move a large, rectangular box towards the edge of the arena. The arrow indicates the approximate instantaneous direction of motion.